

Dielectronic Satellite Lines and Double-Layers in Solar Flares

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Atomic Physics and Plasma Spectroscopy:
Celebrating the Achievements of Alan Gabriel

Outline



I. The power-law distributions (nonthermal tails)

Motivation: RHESSI flare observations

II. The κ -distributions

Definition and properties, physical background

Ionization equilibrium and spectra

Radiative losses, EUV and X-ray filter responses

Diagnostic methods

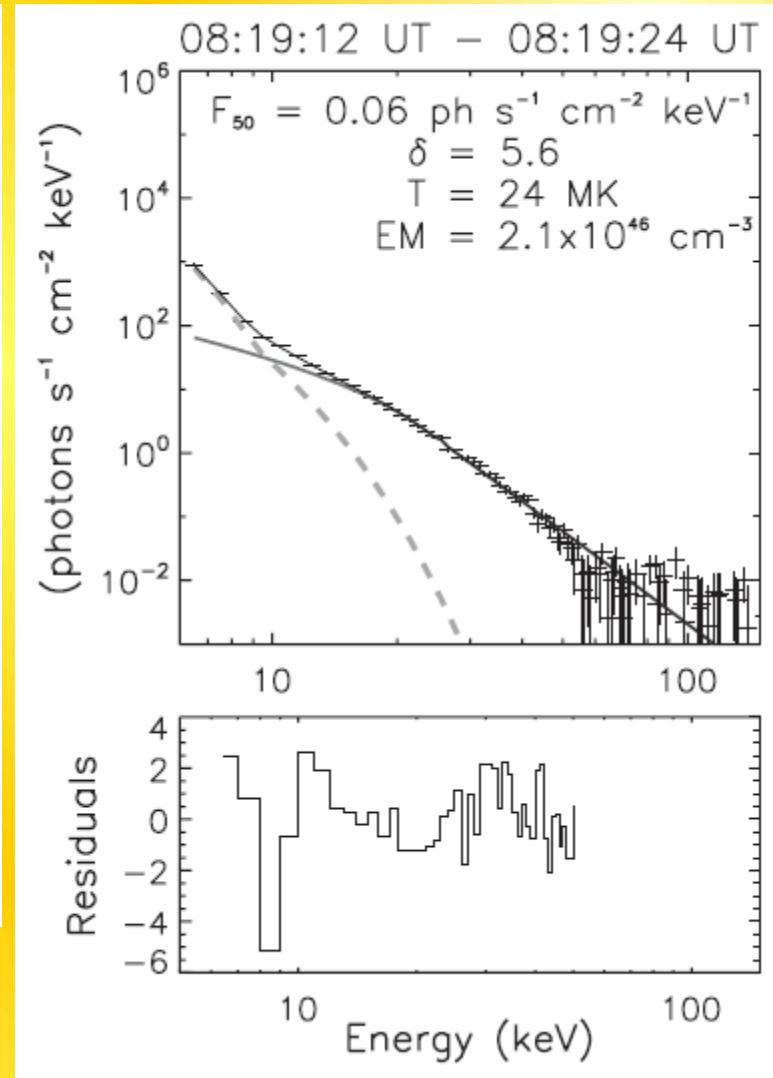
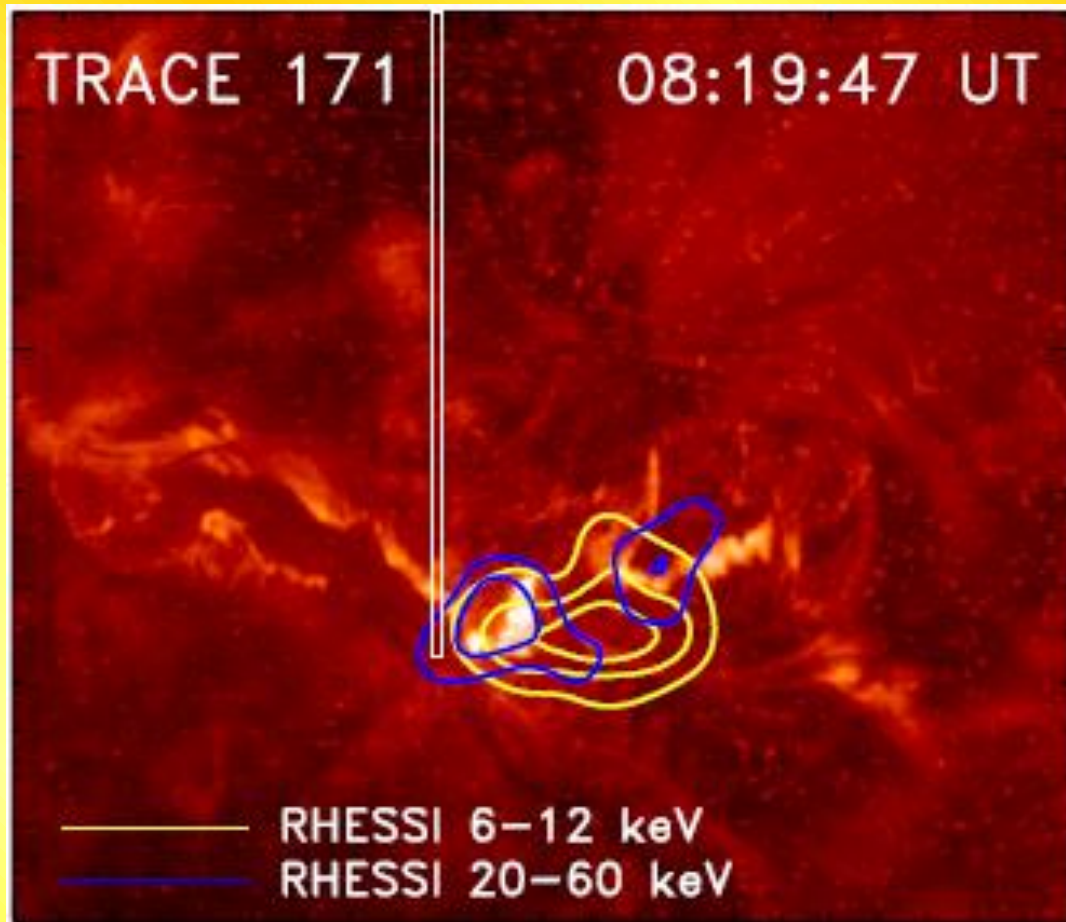
III. The n -distributions and the like

Flare plasma diagnostics

Types of distributions: Moving-Maxwellian and Double Layers

Physical background

I. The nonthermal tails



Veronig et al. (2010), ApJ 719, 655

The nonthermal tails

**Gabriel & Phillips (1979),
MNRAS 189, 319:**

**Effect on the Fe XXIVd / Fe XXV
satellite/allowed line ratios**

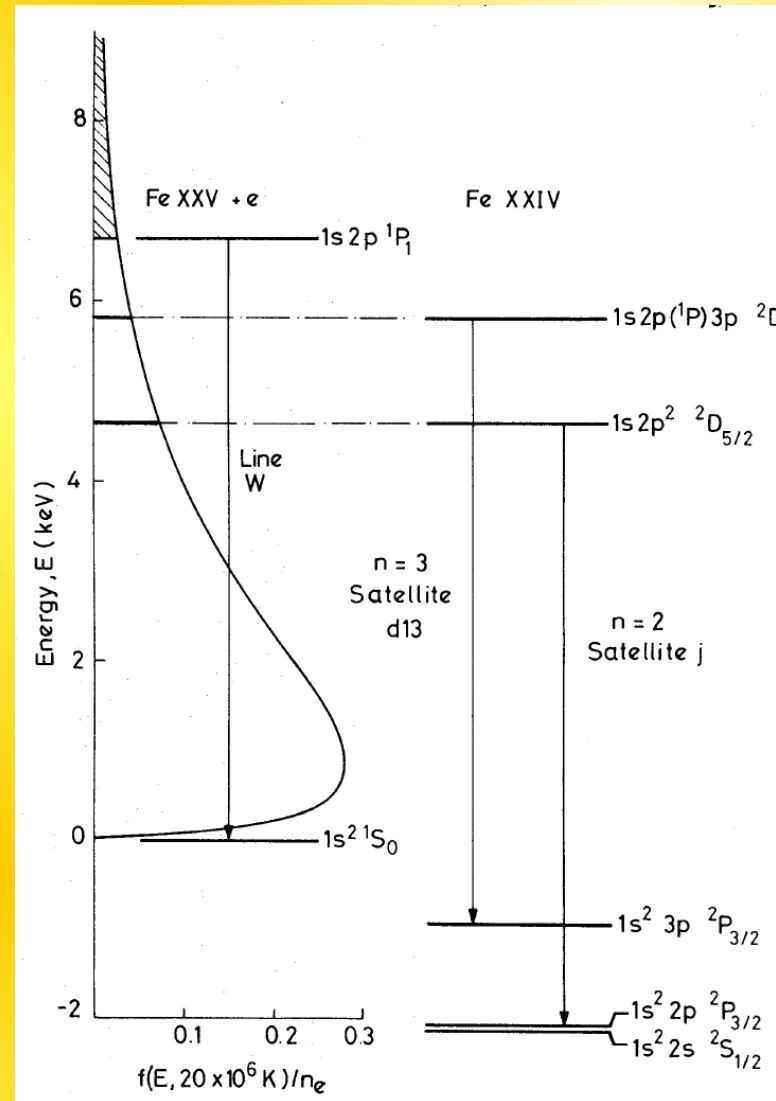
- excess excitation of the Fe XXV line
- decrease of the ratio by up to 40%

**Produced in solar flares as a result
of particle acceleration**

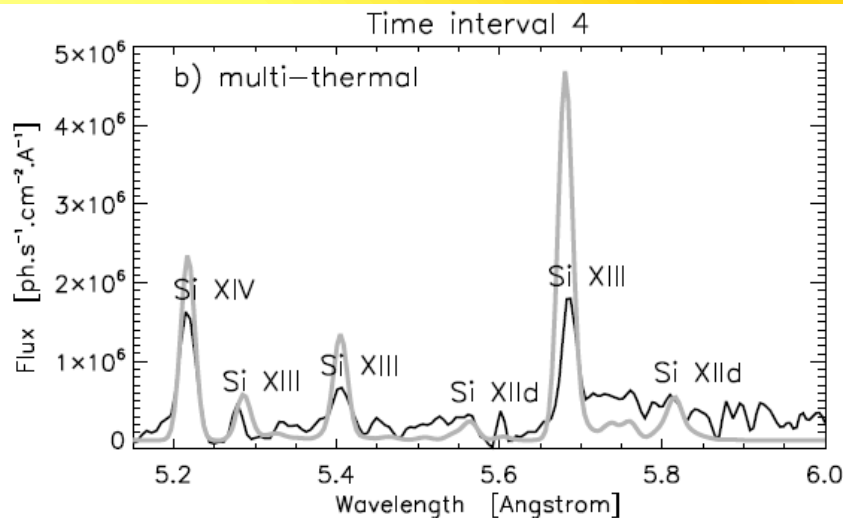
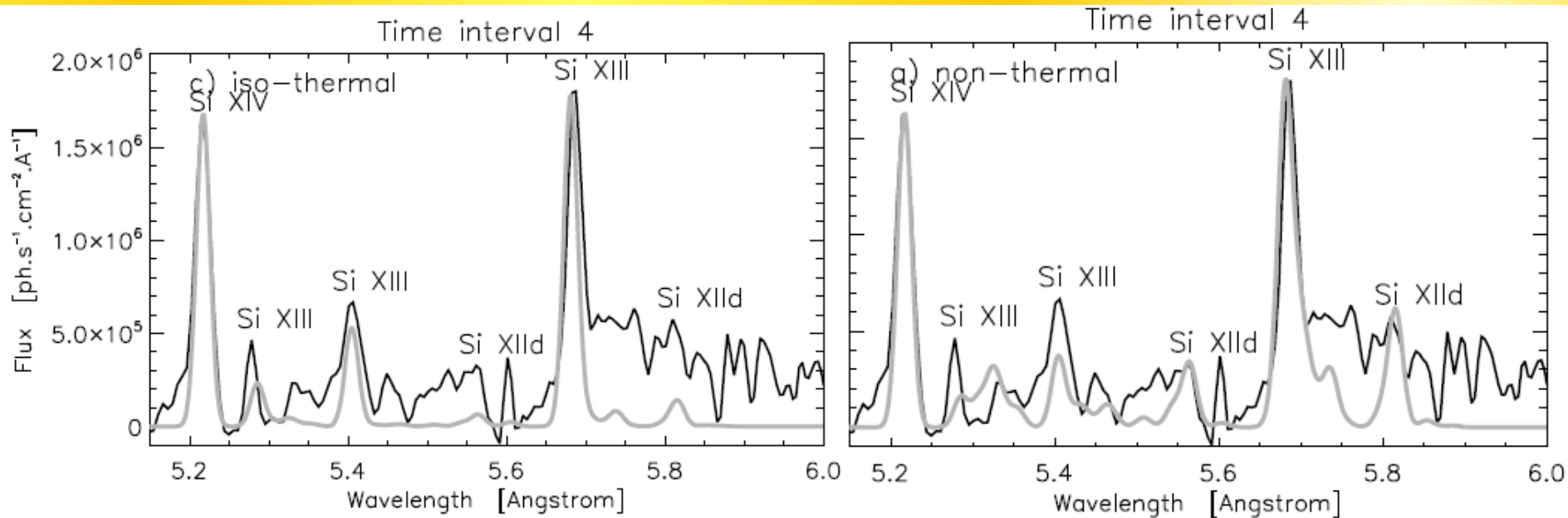
Fletcher et al. (2011), SSRv, 159, 19

Zharkova et al. (2011), SSRv, 159, 357

Petkaki & MacKinnon (2007, 2011)

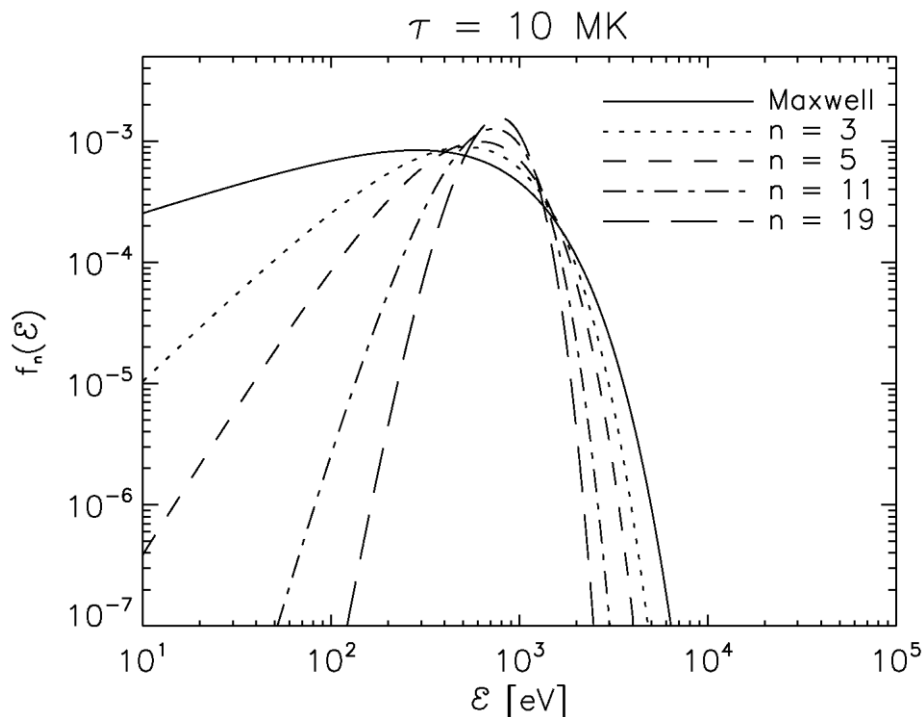


Observed spectra - RESIK



III. The n -distributions

$$f_n(E)dE = B_n \frac{2E^{1/2}}{\sqrt{\pi} (k_B T)^{3/2}} \left(\frac{E}{k_B T} \right)^{\frac{n-1}{2}} e^{-E/k_B T} dE$$



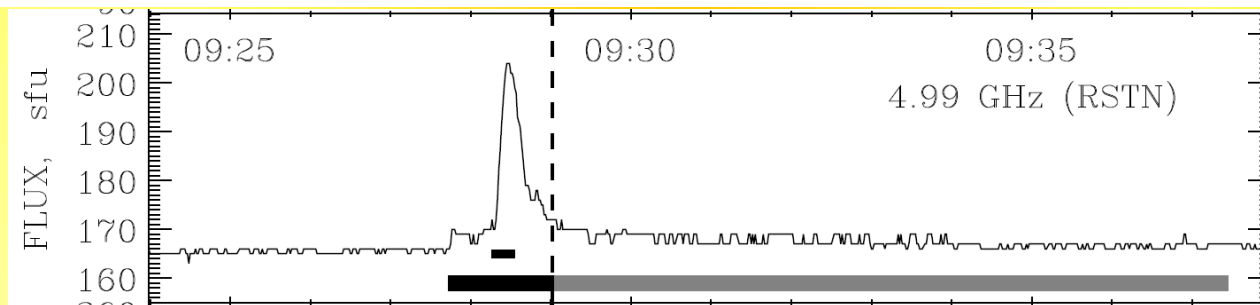
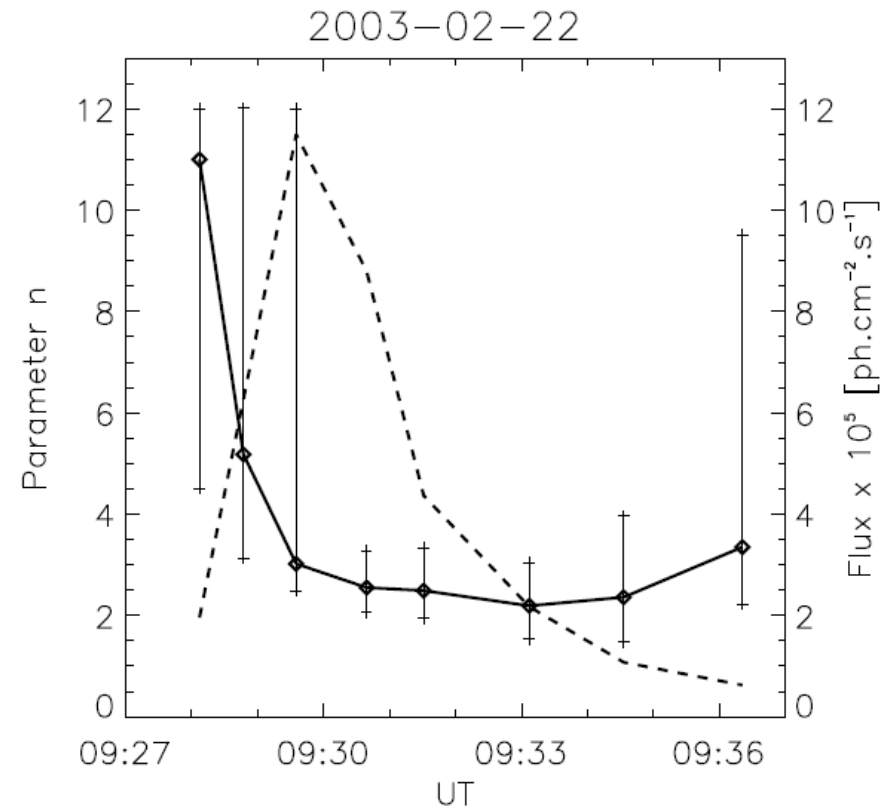
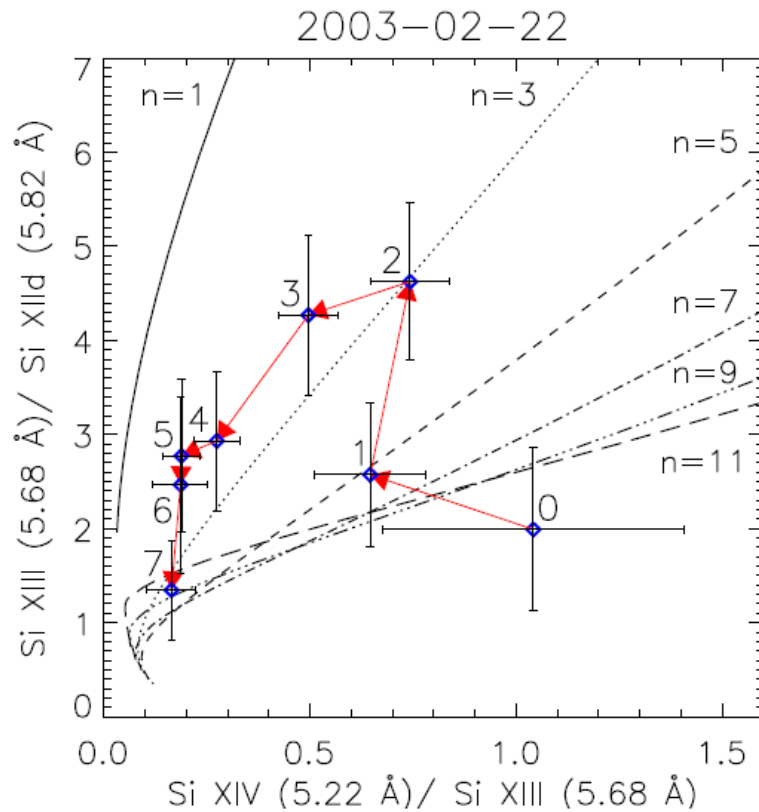
Peak narrower than Maxwellian
Very few low-energy electrons

Pseudo-temperature τ :

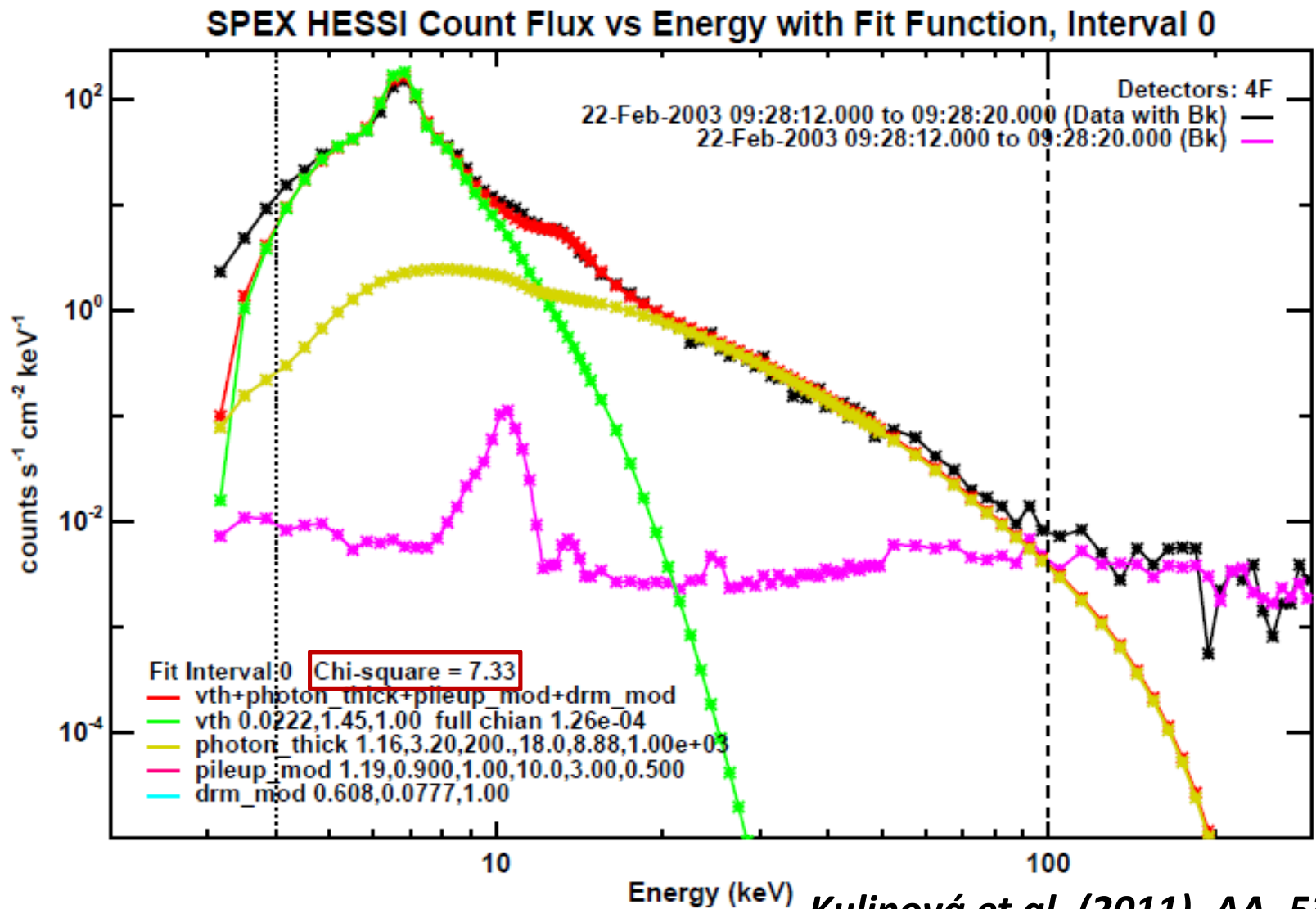
$$\langle E \rangle = \frac{3}{2} k\tau = \left(\frac{n}{2} + 1 \right) kT$$

*Seely, Feldman & Doschek (1987),
ApJ 319, 541*
Dzifčáková (1998), SoPh 187, 317

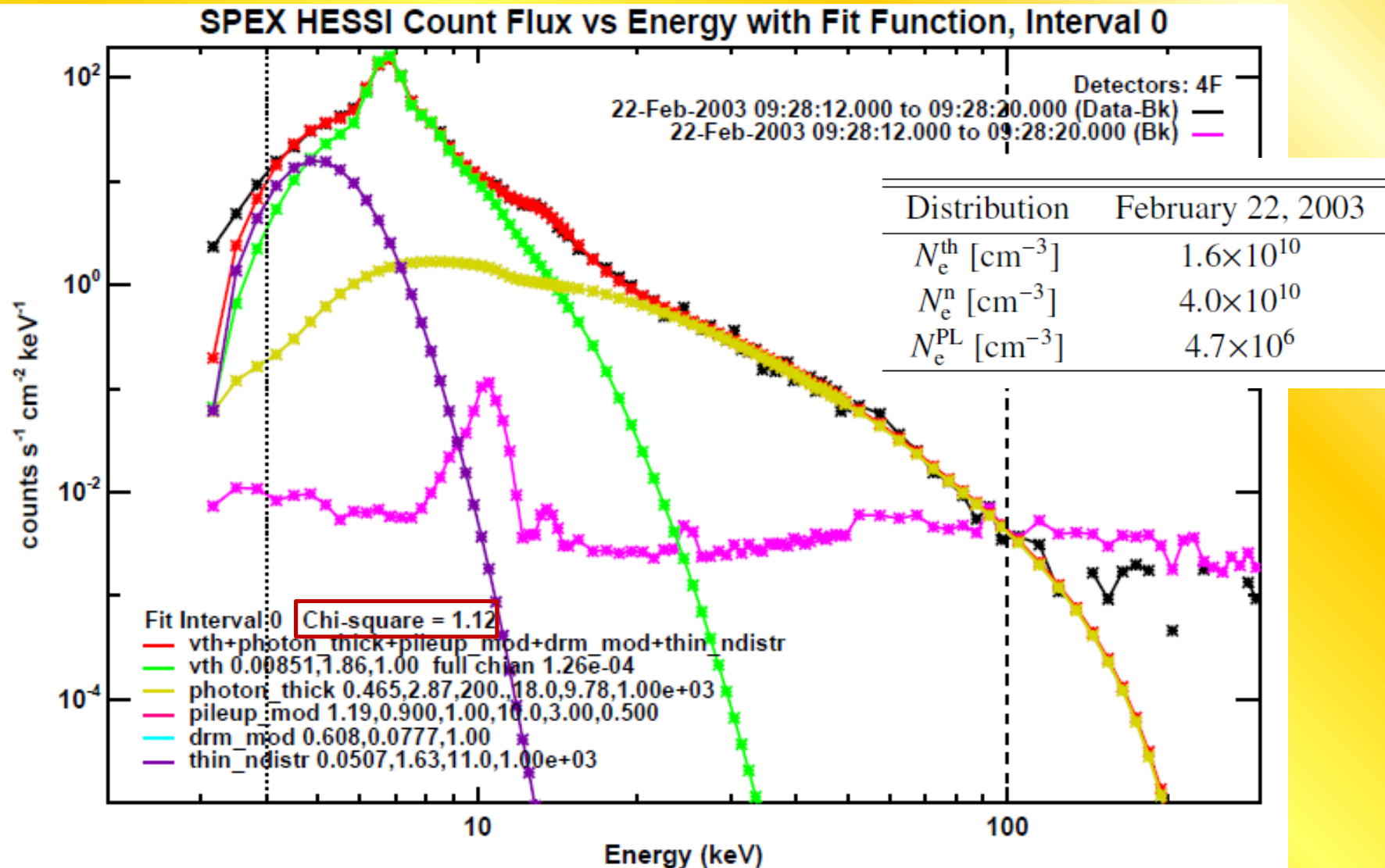
Diagnostics - results



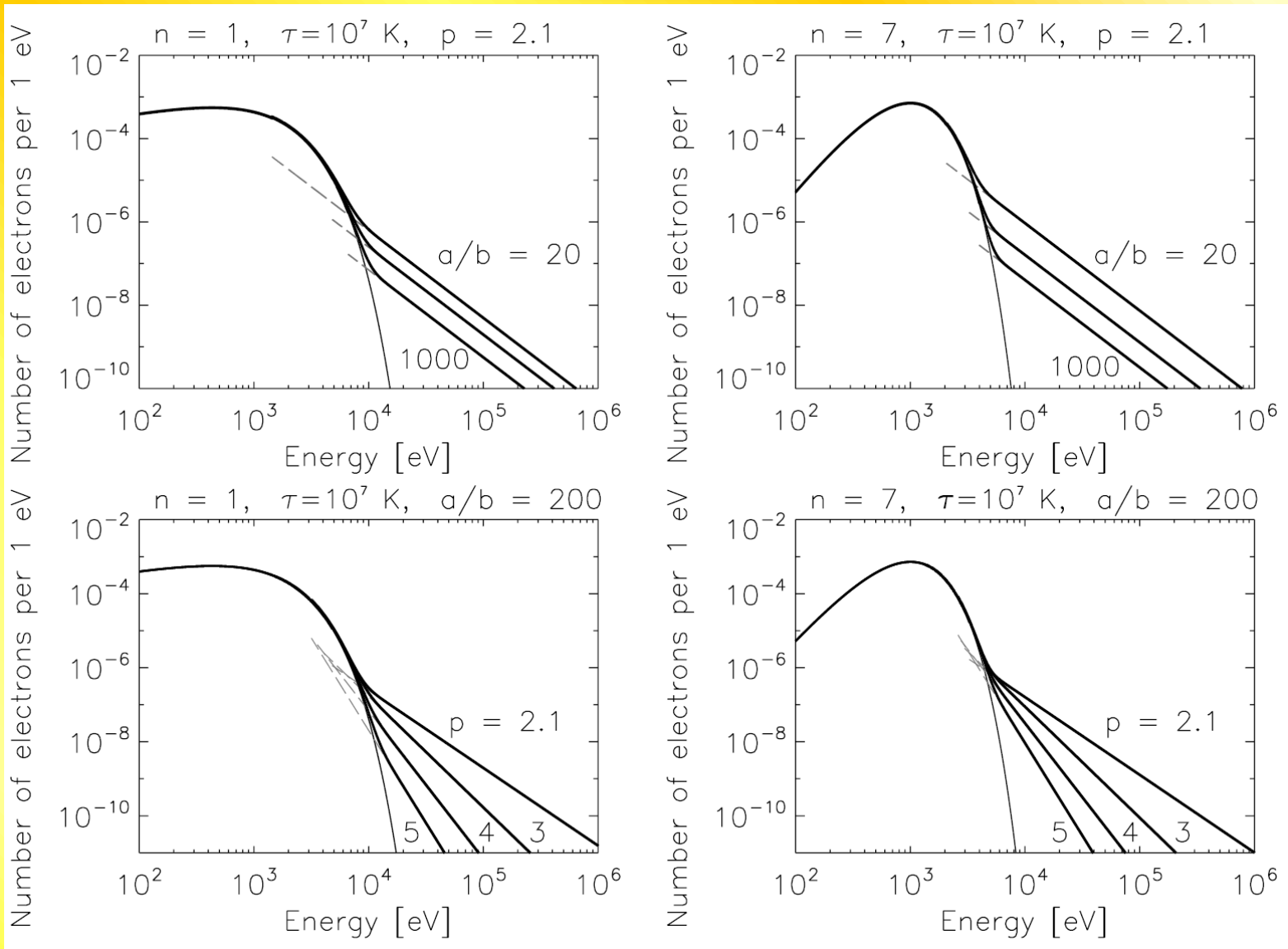
Diagnostics - RHESSI



Diagnostics - RHESSI

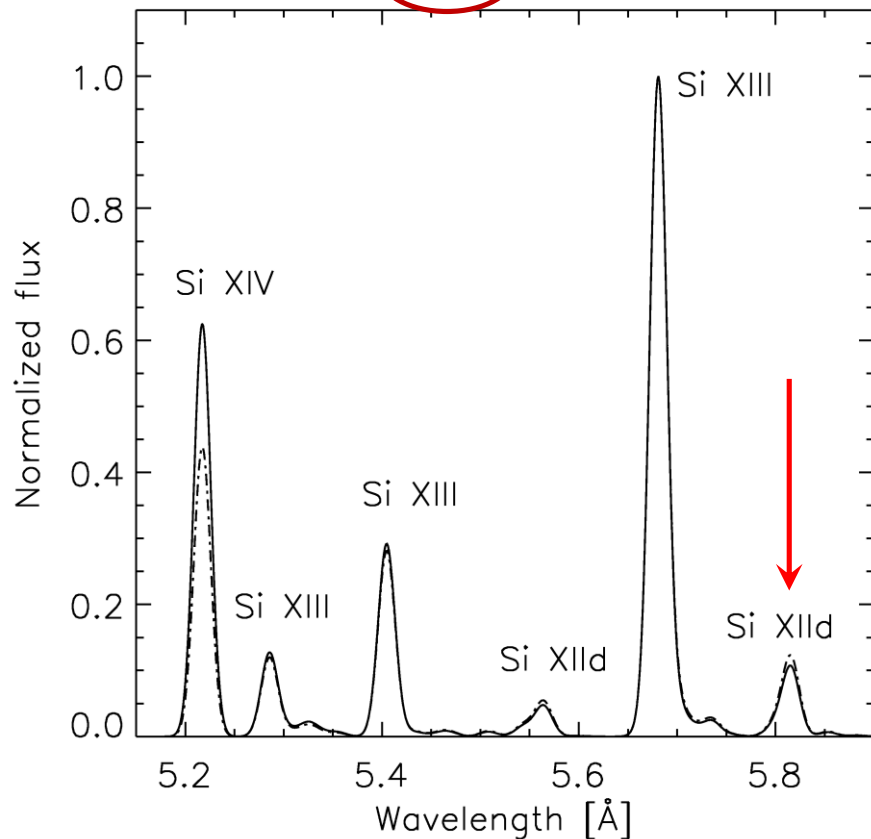


Composed np -distribution

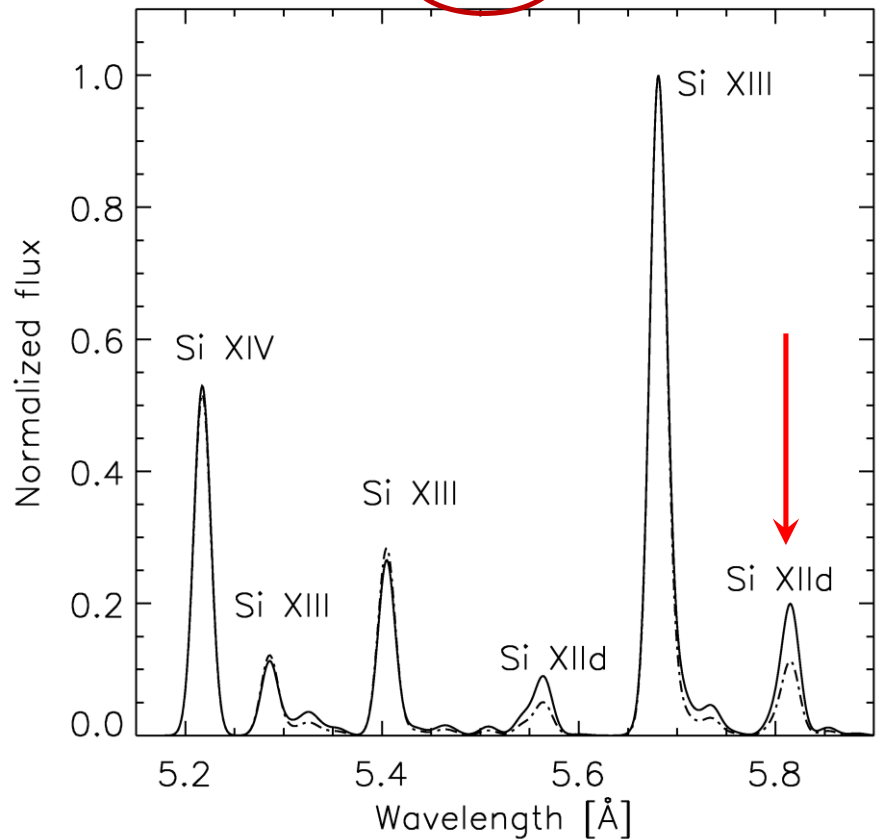


Si XIIId: *tail* vs. *bulk*

$\tau = 10^7$ K, $n = 1$, $p = 2.1$, $a/b=20$



$\tau = 1.26 \times 10^7$ K, $n = 11$, $p = 2.1$, $a/b=20$



Physical background - drifts

Karlický, Dzifčáková & Dudík (2012), Astron. Astrophys., 537, A36

„Moving Maxwellian“ (Maxwellian with a drift velocity v_0)

$$f(v_x, v_y, v_z) = C \exp \left[-\frac{(v_x - v_0)^2 + v_y^2 + v_z^2}{v_T^2} \right],$$

can be written as

$$f(E, v_0) dE = C_1 \frac{\sinh \left[2 \frac{v_0}{v_T} \sqrt{\frac{E}{k_B T}} \right]}{\frac{v_0}{v_T}} \exp \left[-\frac{E}{k_B T} \right] dE,$$

With the $f(E, v_0)$ having **the same gradient** as the n -distribution.

Double Layers

Moving Maxwellian is **unstable**

Double layers – structures w

– can lead to a

– observed in

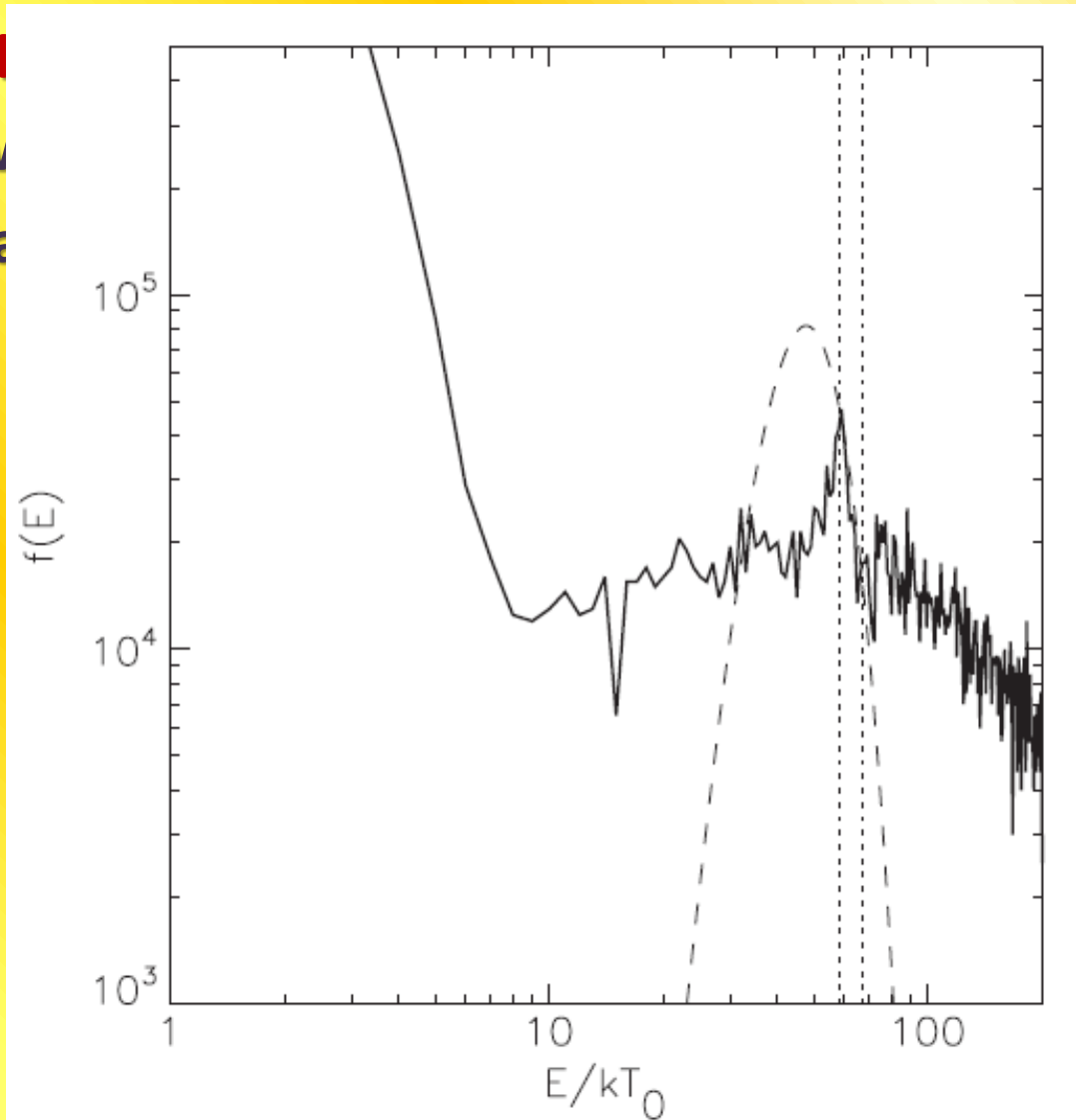
Karlický (2012), ApJ 750:49

- **simulation of DL using PIC code**

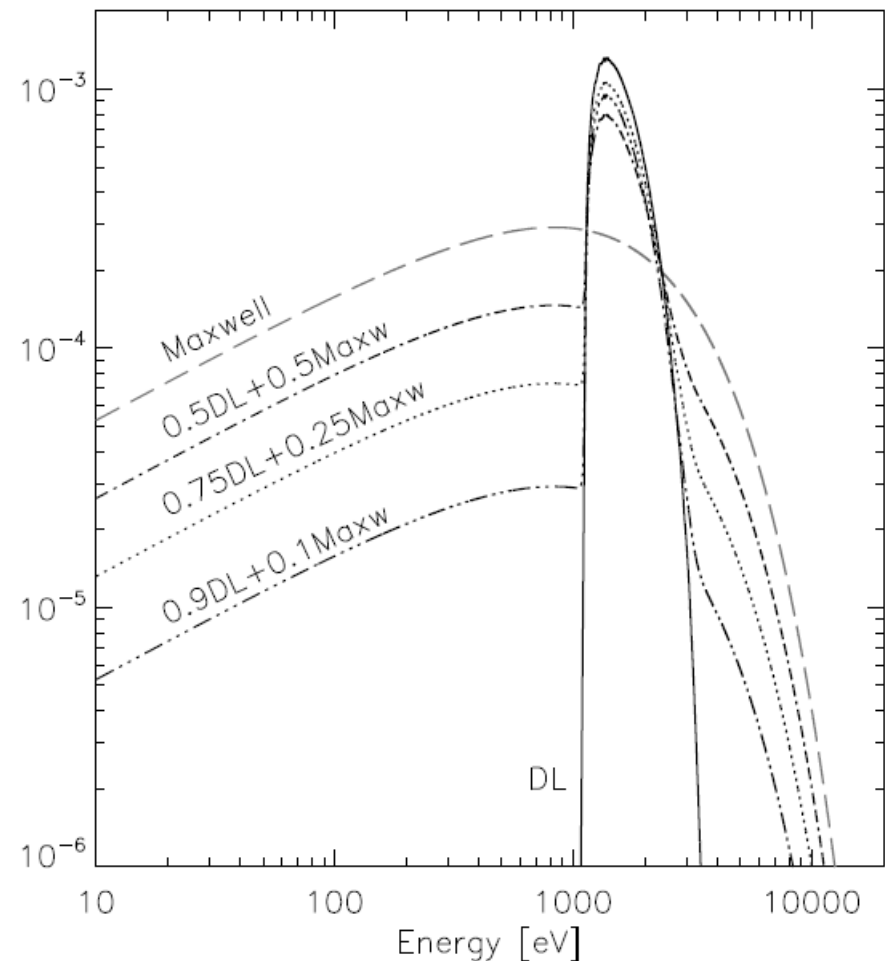
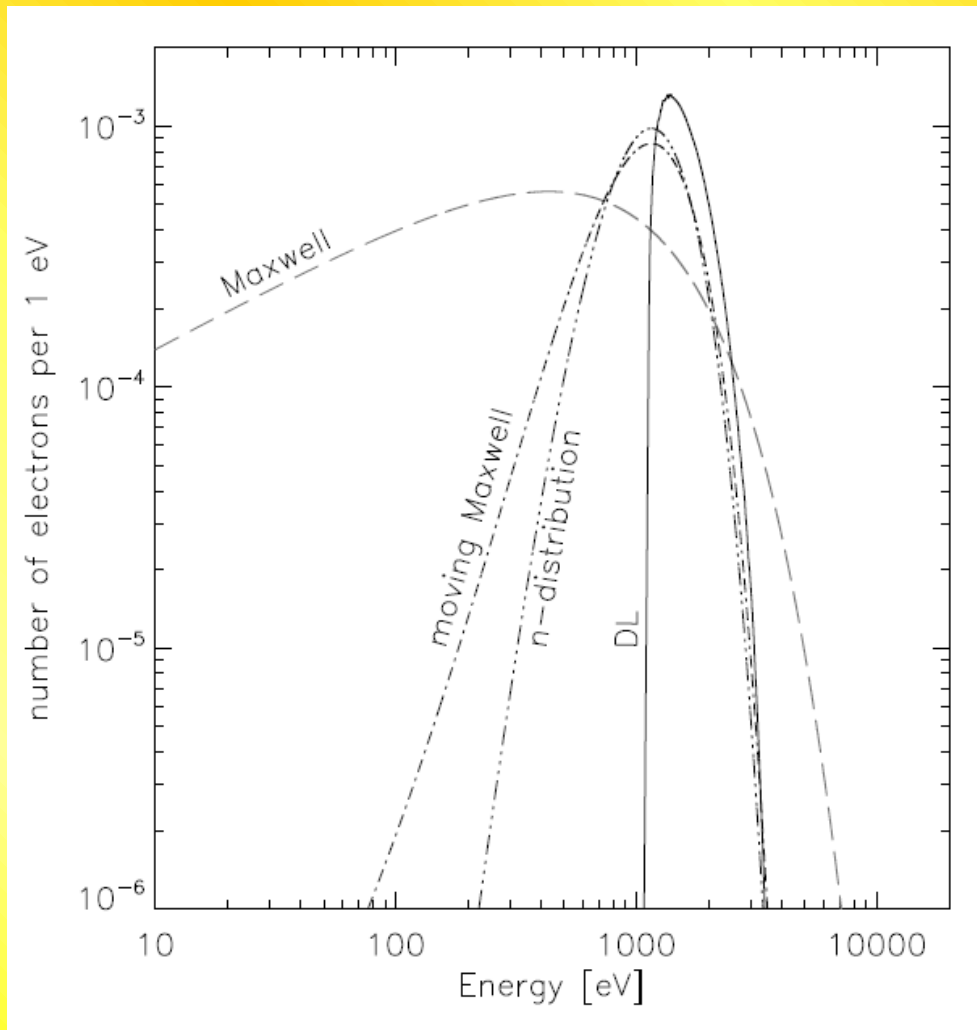
- accelerated electrons

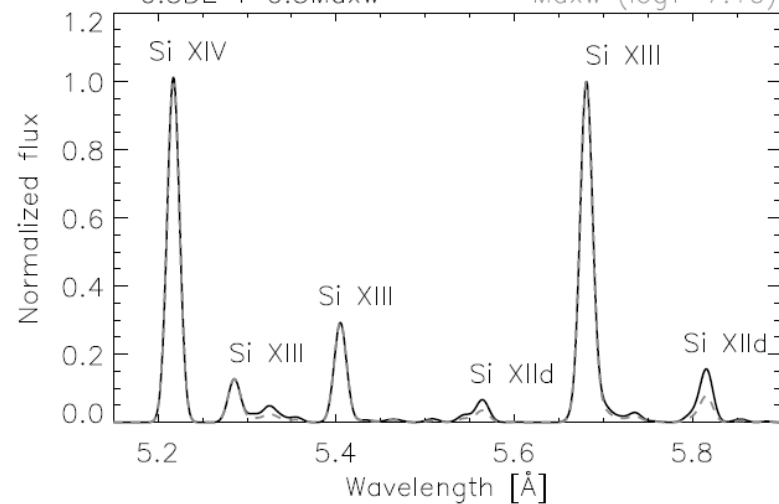
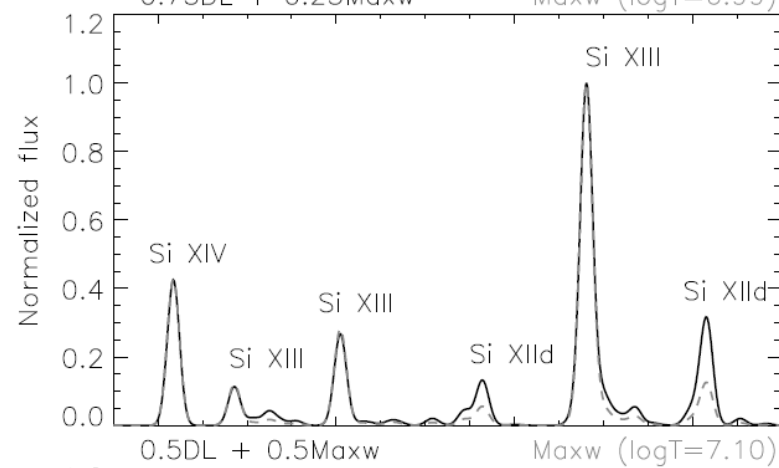
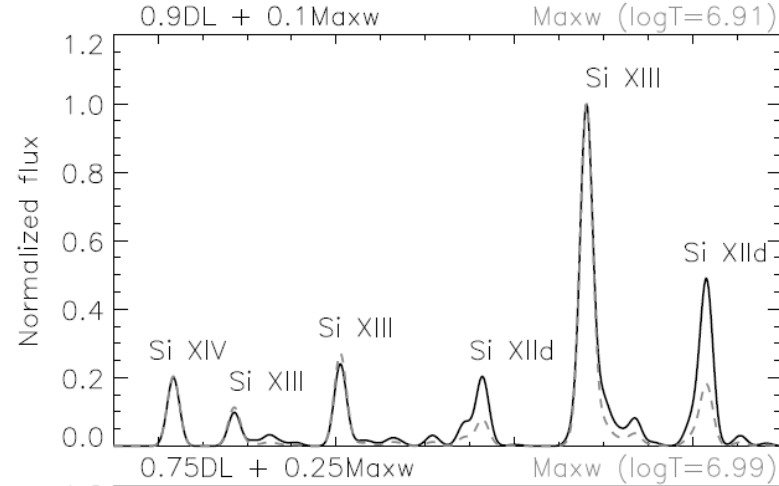
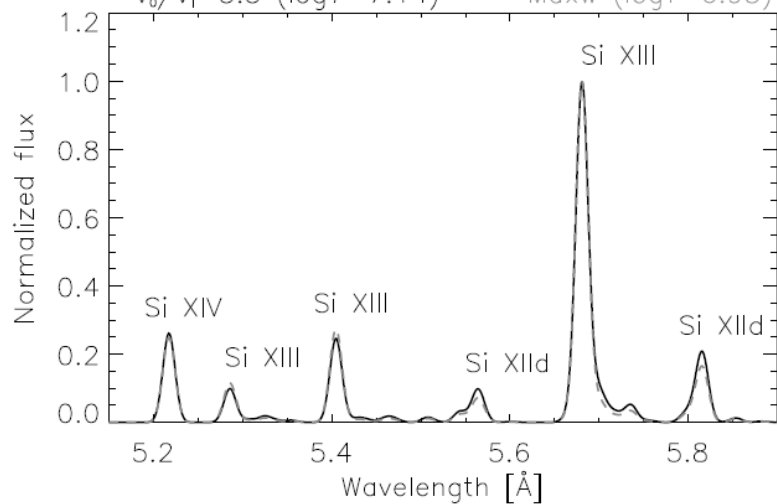
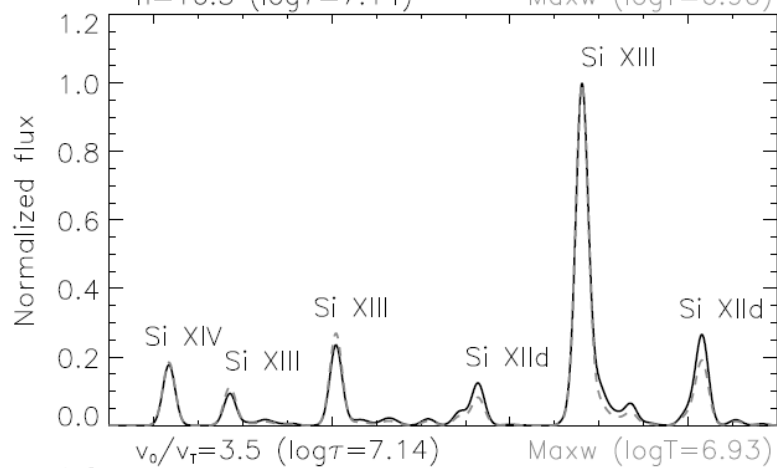
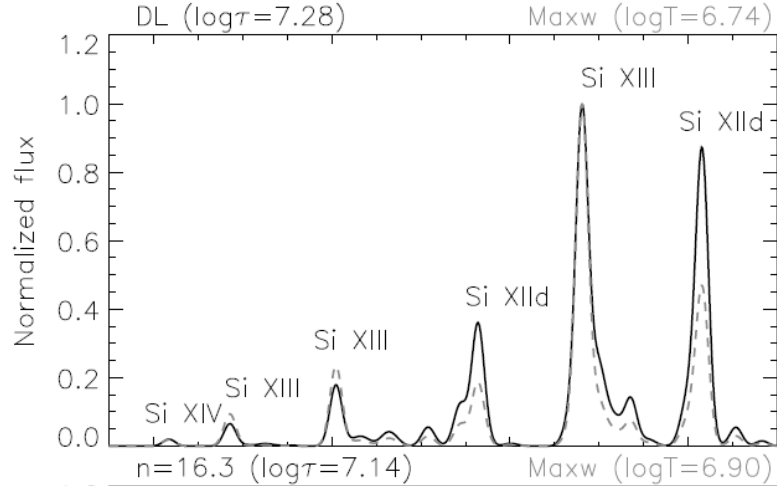
- return current

- reflected beam electrons

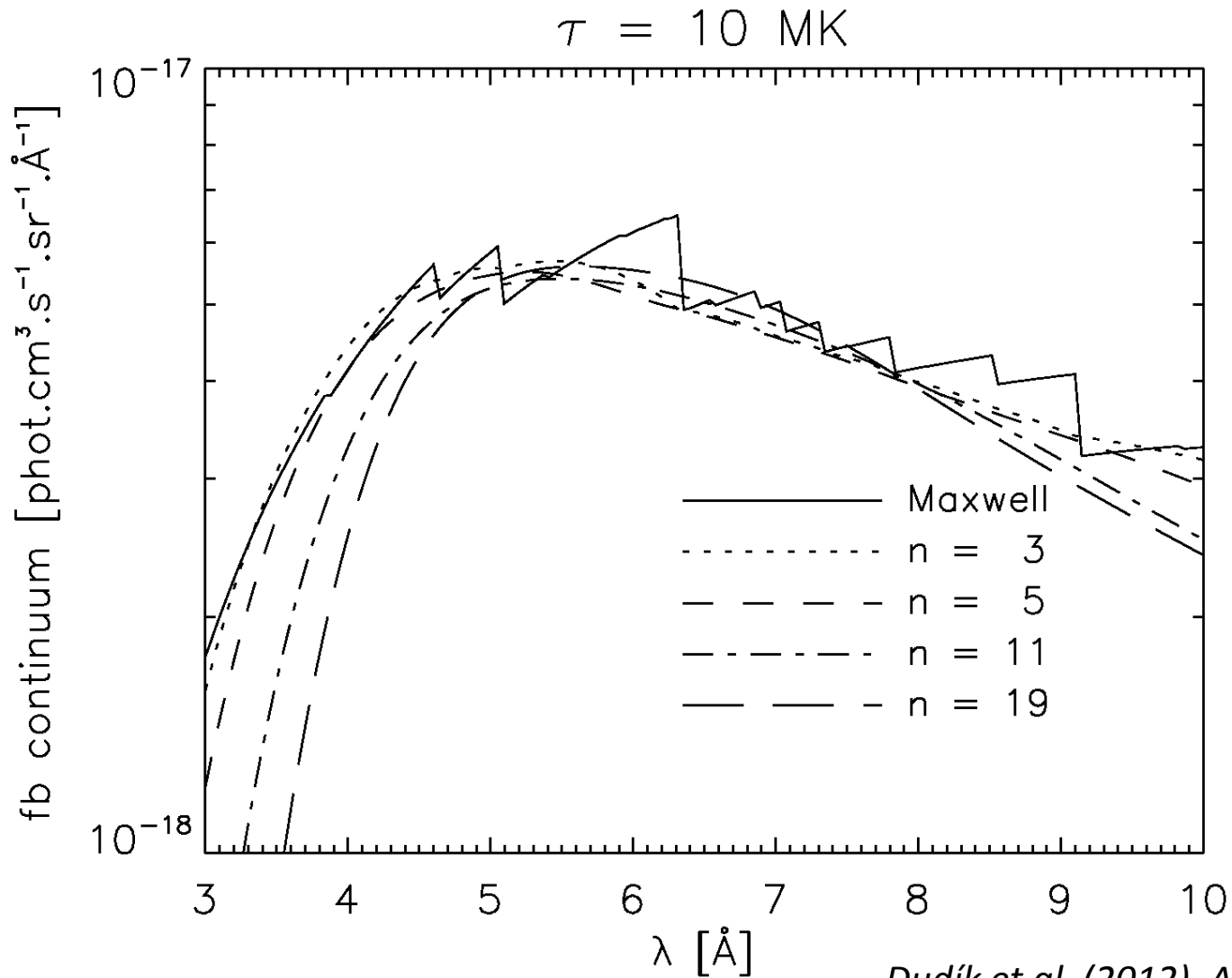


Double Layers and X-ray spectra





Theoretical f-b continuum



Conclusions

- **H-like, He-like lines and Li-like dielectronic satellites offer important plasma diagnostics**
 - sampling the distribution function at discrete energies
- **Flares: both high-energy tail AND non-Maxwellian bulk**
 - Si XIIId lines not sensitive to tail: diagnose distribution core
 - DL + background gives good match to observations

NOTES:

- No X-ray spectrometers. Need a new one.
- Revisit previous observations? (SMM/BCS)
- Use many lines to sample the distribution at various energies
- Energy considerations: radiative cooling affected

*Sunset in Ondřejov,
April 1st, 2011*

Thank you for your attention

The composed *np*-distributions

Dzifčáková, Homola & Dudík (2011), AA 531, A111:

Composed *np*-distribution: Bulk (*n*) + Tail (*p*)

$$f_n(\mathcal{E} \geq 0)d\mathcal{E} = \mathcal{B}_n \frac{2}{\sqrt{\pi} (kT)^{3/2}} \left(\frac{\mathcal{E}}{kT} \right)^{\frac{n-1}{2}} \mathcal{E}^{1/2} \exp\left(-\frac{\mathcal{E}}{kT}\right) d\mathcal{E},$$

$$f_p(\mathcal{E} \geq E_C)d\mathcal{E} = \frac{(p-1)}{E_C} \left(\frac{E_C}{\mathcal{E}} \right)^p d\mathcal{E},$$

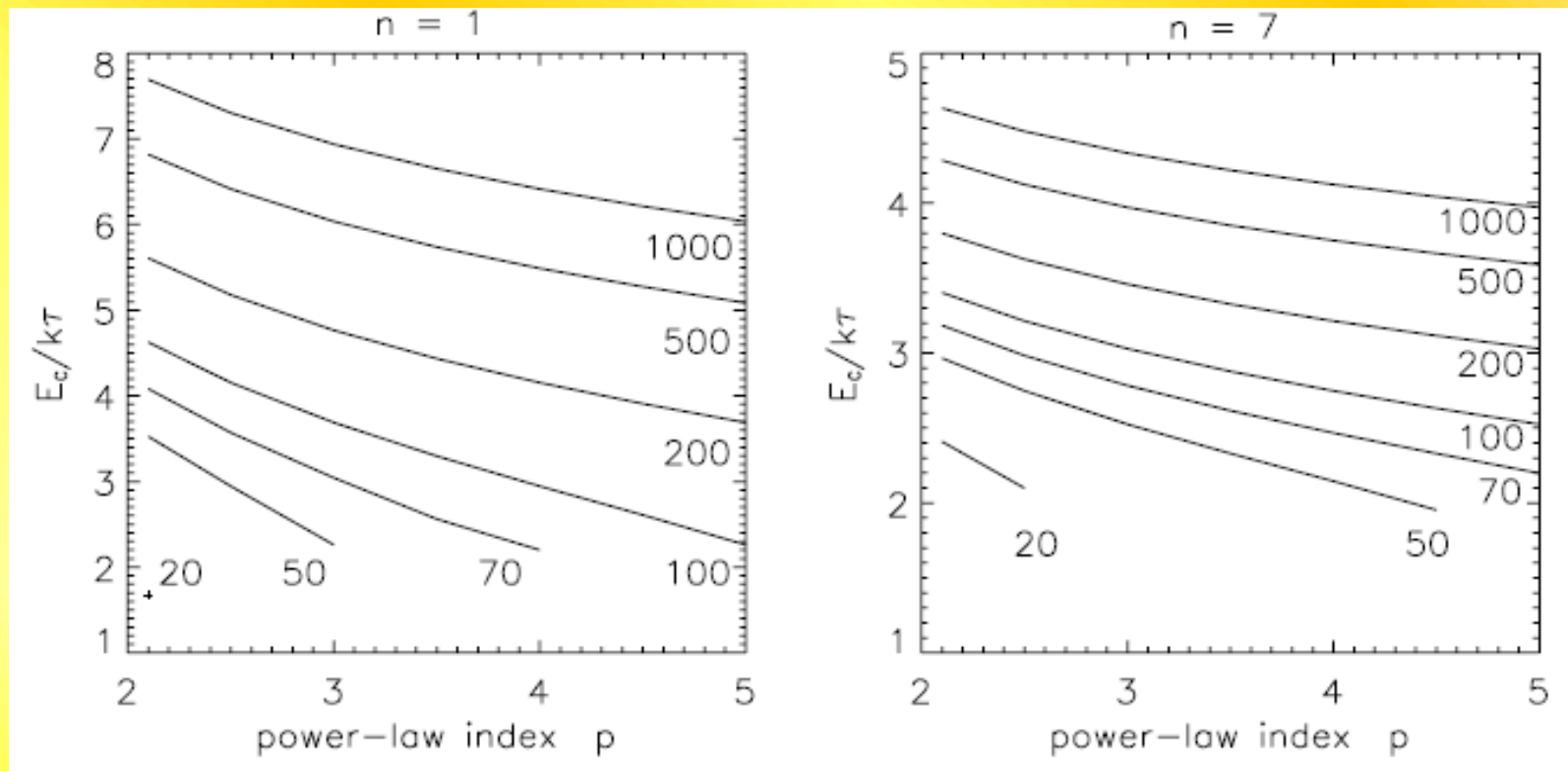
$$f_{np}(\mathcal{E})d\mathcal{E} = a \cdot f_n(\mathcal{E}) + b \cdot f_p(\mathcal{E})d\mathcal{E},$$

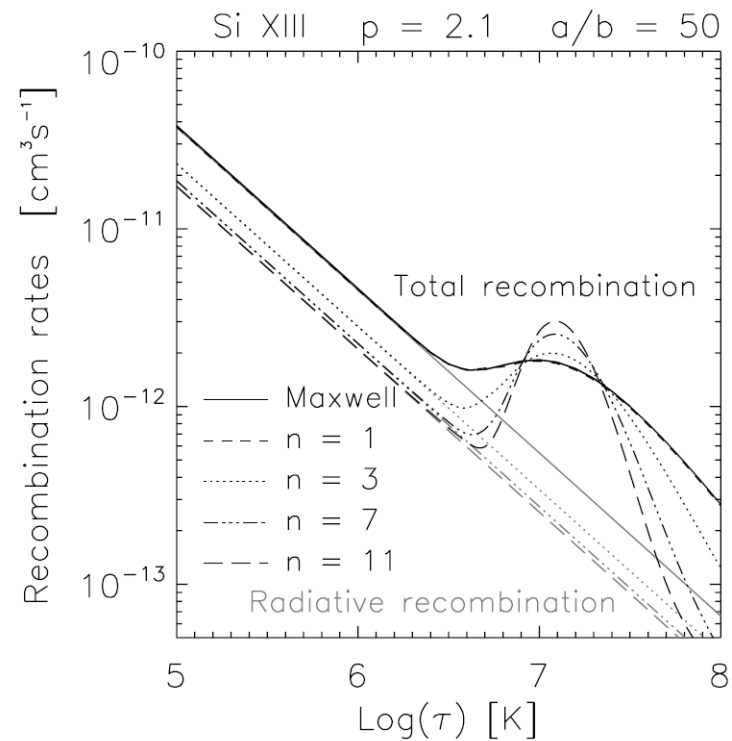
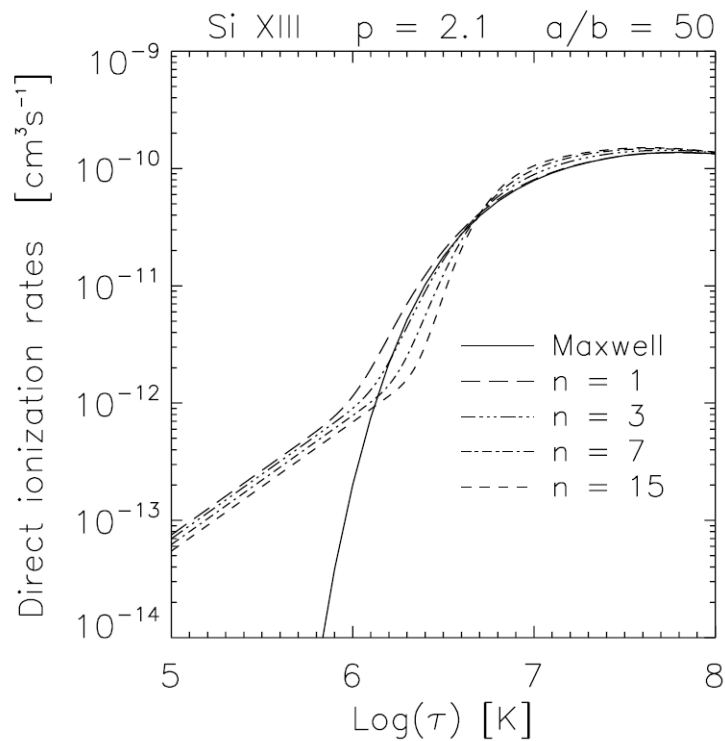
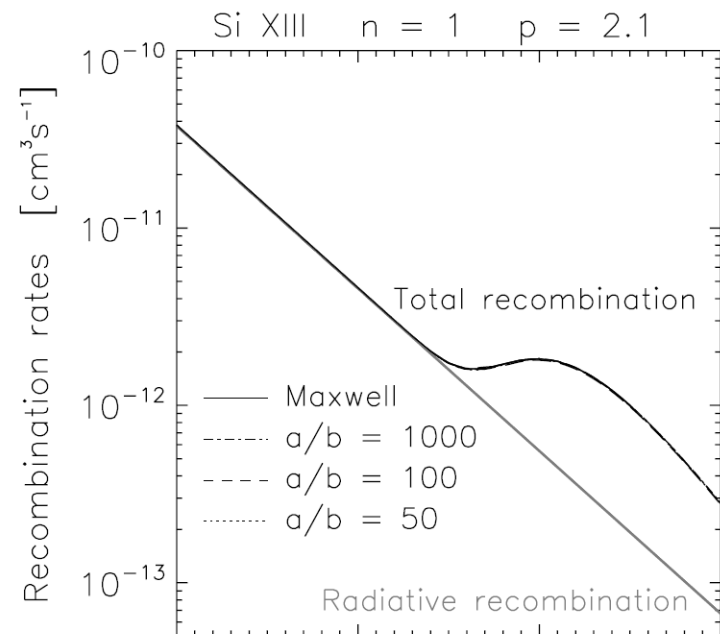
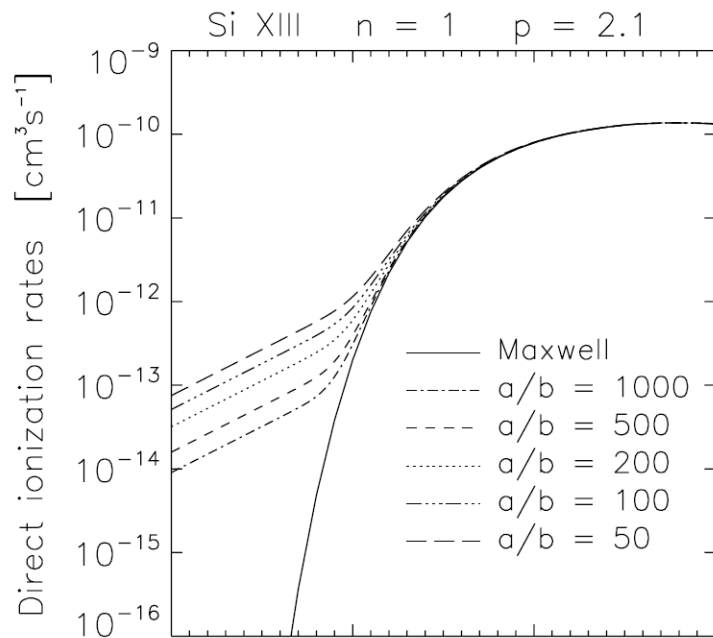
- n*** – index *n* describing the bulk
- p*** – power-law index of the high-energy tail
- E_C*** – low-energy cutoff for the power-law tail
- a/b*** – bulk/tail ratio, *a* + *b* = 1

Construction of the distribution

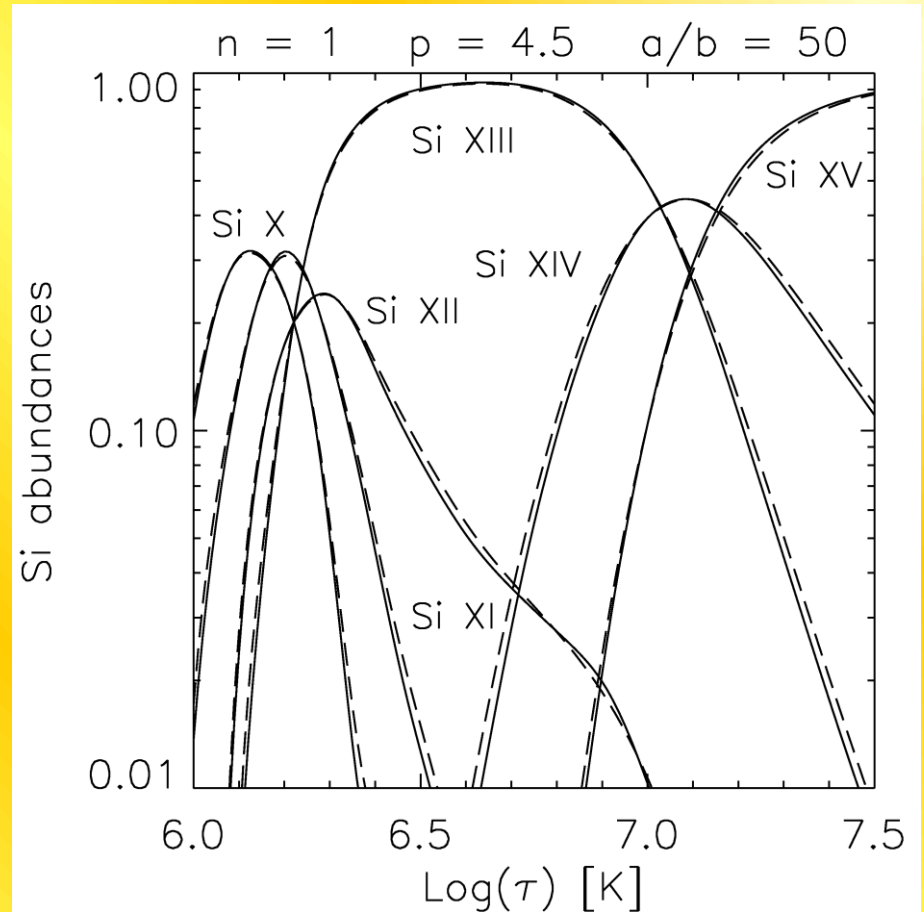
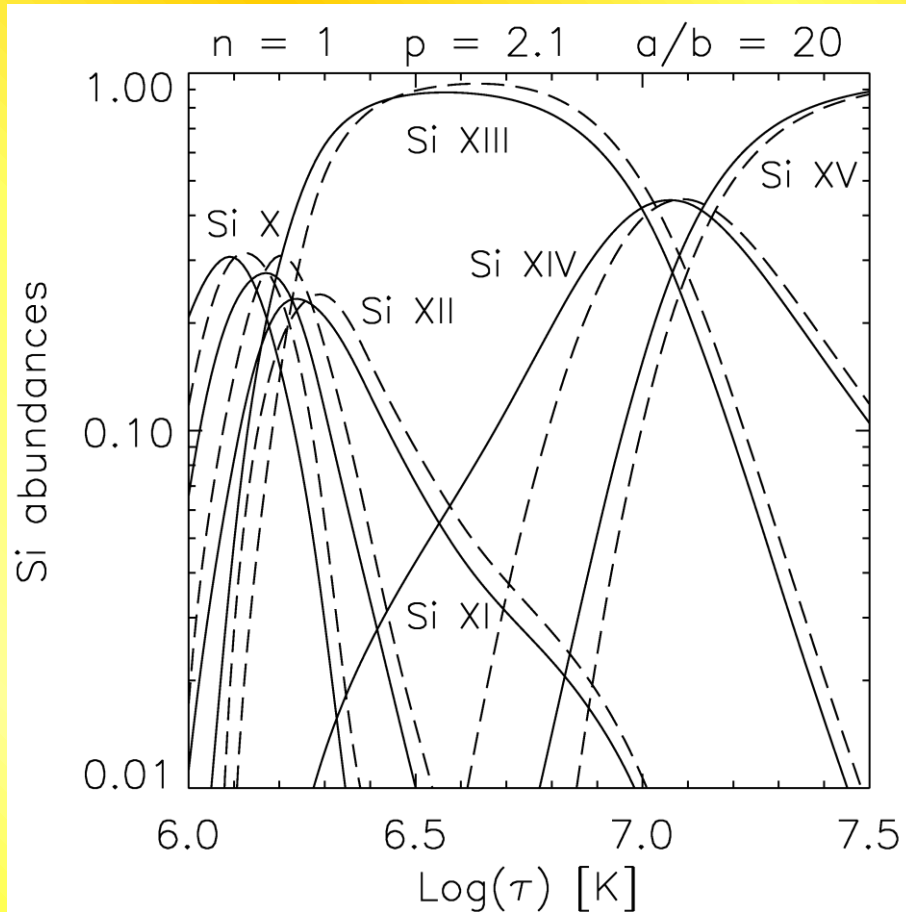
Conditions for E_c :

- the power-law tail does not affect the plasma bulk
- less than 10% discontinuity at E_c





Ionization equilibrium – tail only



Ionization equilibrium – bulk + tail

